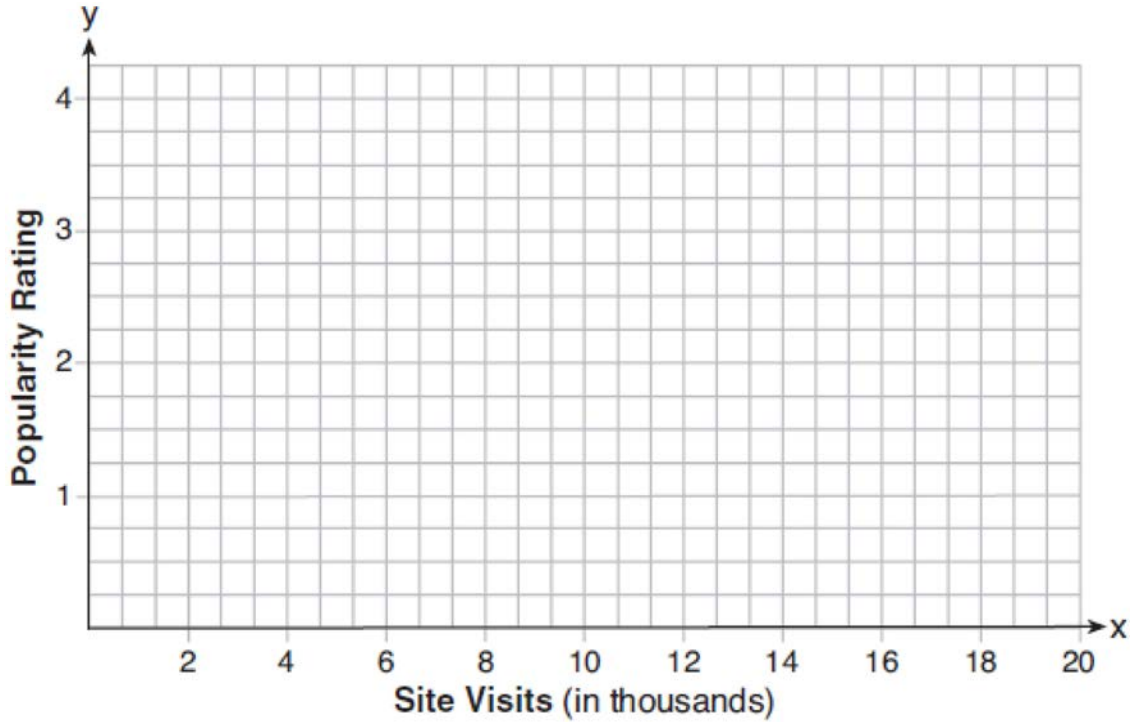


A.REI.D.11: Other Systems 4

- 1 After examining the functions $f(x) = \ln(x + 2)$ and $g(x) = e^{x-1}$ over the interval $(-2, 3]$, Lexi determined that the correct number of solutions to the equation $f(x) = g(x)$ is
- | | |
|------|------|
| 1) 1 | 3) 3 |
| 2) 2 | 4) 0 |
- 2 For which approximate value(s) of x will $\log(x + 5) = |x - 1| - 3$?
- | | |
|----------------|-------------|
| 1) 5, 1 | 3) -2.41, 5 |
| 2) -2.41, 0.41 | 4) 5, only |
- 3 For which values of x , rounded to the *nearest hundredth*, will $|x^2 - 9| - 3 = \log_3 x$?
- | | |
|------------------|------------------|
| 1) 2.29 and 3.63 | 3) 2.84 and 3.17 |
| 2) 2.37 and 3.54 | 4) 2.92 and 3.06 |
- 4 If $p(x) = 2 \ln(x) - 1$ and $m(x) = \ln(x + 6)$, then what is the solution for $p(x) = m(x)$?
- | | |
|---------|----------------|
| 1) 1.65 | 3) 5.62 |
| 2) 3.14 | 4) no solution |
- 5 Given $q(x) = 2 \log(x)$ and $r(x) = (x - 2)^3 - 4$, what is a solution of $q(x) = r(x)$ to the *nearest tenth*?
- | | |
|--------|--------|
| 1) 1.1 | 3) 3.9 |
| 2) 3.7 | 4) 4.3 |

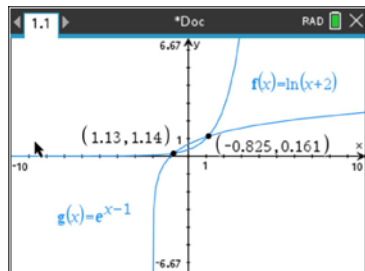
- 6 Website popularity ratings are often determined using models that incorporate the number of visits per week a website receives. One model for ranking websites is $P(x) = \log(x - 4)$, where x is the number of visits per week in thousands and $P(x)$ is the website's popularity rating. According to this model, if a website is visited 16,000 times in one week, what is its popularity rating, rounded to the *nearest tenth*? Graph $y = P(x)$ on the axes below.



An alternative rating model is represented by $R(x) = \frac{1}{2}x - 6$, where x is the number of visits per week in thousands. Graph $R(x)$ on the same set of axes. For what number of weekly visits will the two models provide the same rating?

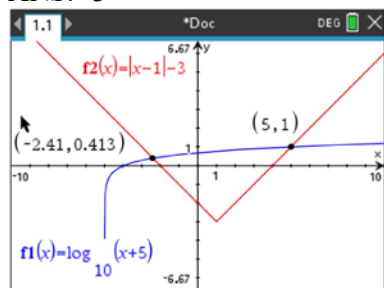
A.REI.D.11: Other Systems 4
Answer Section

1 ANS: 2



REF: 081920aai

2 ANS: 3



REF: 012317aai

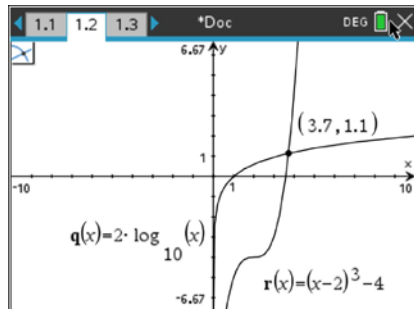
3 ANS: 1

REF: 011814aai

4 ANS: 3

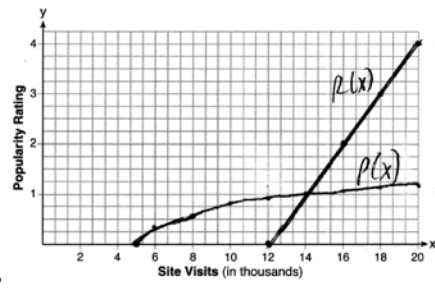
REF: 081819aai

5 ANS: 2



REF: 082417aai

6 ANS:



$P(16) = \log(16 - 4) \approx 1.1$, 14000

REF: 061837aii